

A mountain pass lemma and multiple solutions to nonlinear differential problems

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Talk Abstract

A mountain pass lemma ([1]) and characterizations of the mountain pass geometry ([2, 3]) as well as a local minimum theorem ([4]) are pointed out. As a consequence, the existence of two, three, infinitely many solutions for nonlinear differential problems are established ([5, 6, 7, 8]).

References

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